## Math-2 Unit 8 Test Checklist

- Know the relationship between the measures of central angle and an inscribed angle that intercepts the same arc. b. central angle and the intercepted arc. c. opposite angles of an inscribed quadrilateral. 2. Know the measure of an inscribed angle that intercepts a diameter. 3. Be able to solve angle/arc problems that have: a. Inscribed triangle Inscribed quadrilateral c. Diameters 4. Know the relationship between the measures of a. Angle formed by secant and tangent lines to a circle and the intercepted arcs b. Angle formed by two secant lines to a circle and the intercepted arcs c. Angle formed by two tangent lines to a circle and the intercepted arcs d. The two arcs formed by two tangent lines to a circle e. The angle formed by a tangent line that intercepts a radius of the circle f. The segments outside of a circle between the points of tangency and the point of intersection of the two tangent lines. g. The lengths of segments formed when two chords of a circle intersect h. The angle formed when two non-diameter chords intersect and the measures of the intercepted arcs. 5. Know how to identify the center and radius of a circle given an equation in "center-circle" form. 6. Know how to right an equation of a circle given its center and radius. 7. Know how to "complete the square" in order to rewrite a "conic section" form equation of a circle as in "center circle" form so that you can then identify the circle's center and radius.
  - 8. Know how to determine of a point is on a circle given the equation of the circle.

- 9. Be able to use "soh-cah-toa" to calculate the "height" of a non-right triangle.
- 10. Be able to calculate the area of the following two-dimensional shapes without having a formula sheet:



a. Trapezoid

- b. Right and non-right triangles
- c. Circle



11. Be able to find the surface area (and lateral area if application of the following shapes without having a formula sheet available:

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a. Square or rectangular prism

b. Triangular or rectangular pyramid



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- c. Cylinder
- d. Sphere
- 12. Be able to calculate the volume of the following shapes without the use of a formula sheet:
  - a. Prism
    - b. Pyramid
    - c. Cylinder
    - d. Sphere
- 13. Be able to convert angle measures between radians and degrees.
- 14. Know the angular measure of a circle in radians and degrees.
- 15. Know how to calculate the length of an intercepted arc of a circle if the angle is given in:
- a. Degrees
- b. Radians
- 16. Know how to calculate the area of a sector of a circle if the angle is given in:



- a. Degrees
- b. Radians

17. Be able to create a Venn diagram, a tree diagram, or a 2-way table given a list of two mutually exclusive items (Fords or Chevy's), each of which can be broken into two groups (blue and white). 18. Given a Venn Diagram, tree diagram, or a 2-way table, understand the symbols and how to calculate the following probabilities: a. *P*(*A*) b.  $P(A \cap B)$ c.  $P(\overline{A} \cup \overline{B})$ d. P(A / B) e.  $P(\overline{A} \cap \overline{B})$ f.  $P(A \cup \overline{B})$ 19. Given probabilities in fraction form, be able to construct a 2-way table in order to determine other probabilities that a problem might ask.  $P(A) = \frac{7}{23}$   $P(A/B) = \frac{4}{11}$   $P(A \cap B) = ?$ Example: 20. Given probabilities in decimal form, be able to construct a 2-way table in order to determine other probabilities that a problem might ask. Example: P(A) = 0.40 P(B) = 0.5  $P(\bar{B}/\bar{A}) = 0.25$  P(B/A) = ?21. Be able to calculate the probability of sequential events (drawing a King followed by a Queen from a well-shuffled deck with either replacement or without replacement). 22. Be able to tell the difference between a permulation and combination and use them to calculate the number of possible arrangements Example: select people from a group of 10 and determine: a. The number of different 3-member committees are possible b. The number of different top-3 finishers in a race c. The number of different 1<sup>st</sup>, 2<sup>nd</sup>, and 3<sup>rd</sup> place finishers in a race. 23. Be able to calculate the number of license plates are possible using the multiplication principle of counting. Example: find the number license plates a possible that have 3 digits followed by 4 letters.