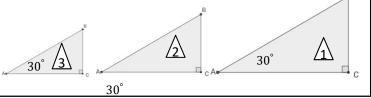


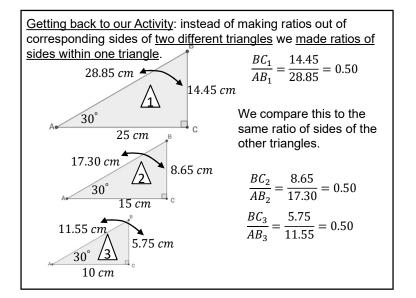
Now we "shift gears" to learn a <u>completely new concept</u> which is GIGANTICALY important in mathematics.

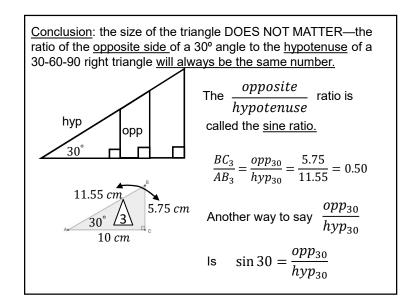
The entire basis of this idea comes from the measures of sides and angles of <u>similar right triangles.</u>

<u>Group Activity</u>: Each of you has a 30-60-90 triangle. There are three different sizes of triangles. All three triangles are similar by the AA Similarity Theorem.

- 1. To the nearest 0.1 centimeter, measure lengths: BC, AC, and AB (write these lengths on your triangles.
- 2. Calculate and write the value of the ratios (in order), BC/AB, AC/AB, and BC/AC.
- 3. Bring your results to me.







" <u>Ratios</u> " are <u>decimal form</u> (not in <u>fraction form).</u>						
These " <u>Ratios</u> " are unique numbers for each angle; they are Properties of the angle.						
	opp	Radian	Degree	Sine	Cosine	Tar
Angle	$\frac{opp}{hyp}$	0.000	0	0.000	1.000	0.
		0.017	1	0.017	1.000	0.
$<10^{\circ}$	0.1736	0.035	2	0.035	0.999	0.
10		0.052	3	0.052	0.999	0.
20°	0.3420	0.070	4	0.070	0.998	0.
		0.087	5	0.087	0.996	0.
30°	0.5	0.105	6	0.105	0.995	0.
12 0°	0.6934	0.122	7	0.122	0.993	0.
43.9°		0.140	8	0.139	0.990	0.
60°	0.8660	0.157	9	0.156	0.988	0.
		0.175	10	0.174	0.985	0.
		0.192	11	0.191	0.982	0.
		0.209	12	0.208	0.978	0.

