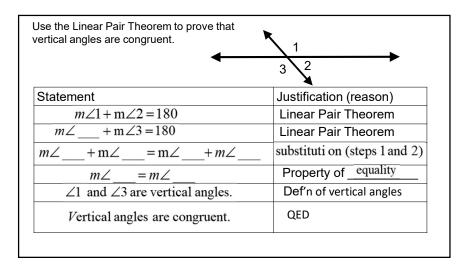
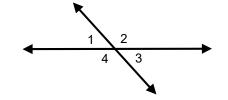


A <u>Two-Column Proof</u> is a logical argument written so that the <u>1st column</u> contains a statement and the <u>2nd column</u> provides a justification for the truthfulness of the statement.		
Statement	Justification (reason)	
A drawing is NOT a proof!!!		

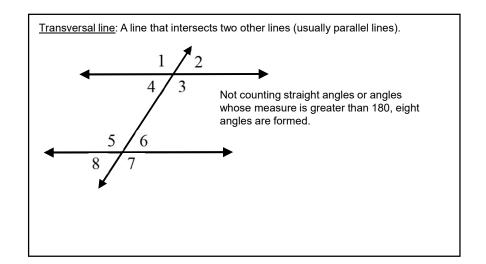
Prove the Linear Pair Theorem: (If two their measures is 180 degrees.)	angles form a linear pair, then <u>the sum of</u>	
Statement	Justification (reason)	
1 $\angle 1$ and $\angle 2$ are a linear pair	Hypothesis to be proven	
$2  \angle 1 \text{ and } \angle 2 \text{ are adjacent angles}$	Definition of a linear pair	
3 ∠ABD is a straight angle	Definition of a linear pair	
4 $m \angle ABD = 185$	Definition of a straight angle	
$5  m \angle 1 + \angle 2 = m \angle ABD = 180$	Steps 3, 4, 5 and Angle Addition Postulate	
6 The sum of the measures of linear pairs is 180 degrees	Quad Erat Demonstrandum	
$\begin{array}{c} & & \\ & & \\ & & \\ & & \\ & A & B & D \end{array}$	Linear Pair of angles is made up of <u>two</u> <u>"adjacent angles</u> " whose <u>un-shared sides</u> form a straight angle.	

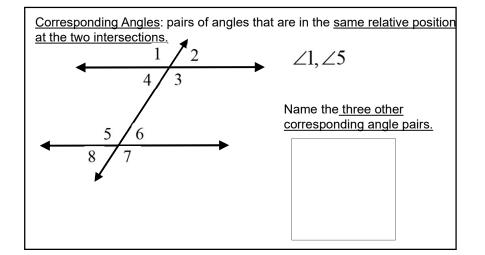


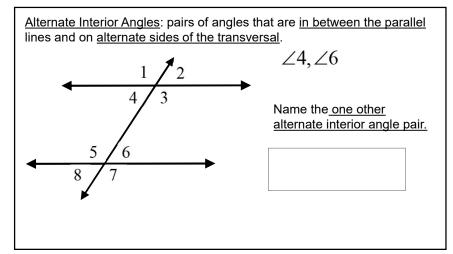
<u>Linear Pair Theorem</u>: If two angles form a linear pair, then the sum of their measures is 180 degrees.)

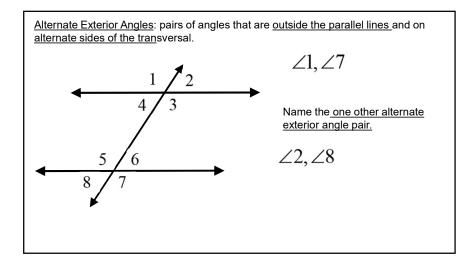


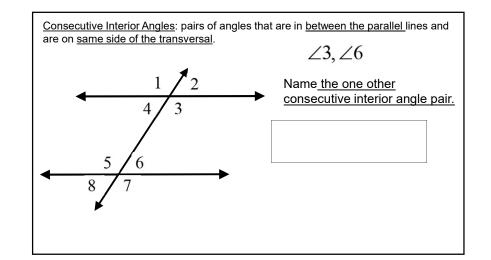
<u>Vertical Angle Theorem</u>: If two angles are vertical angles then the two angles are congruent.

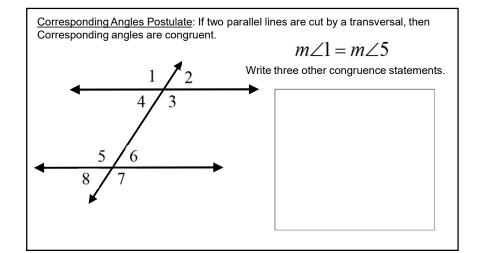


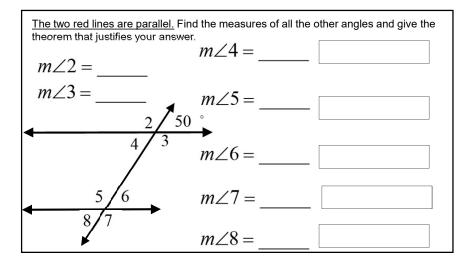


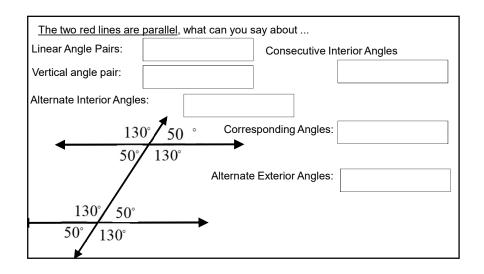












Use the <u>Corresponding Angles Postulate</u> , and			
4/3 Vertical Angle Theorem to prove the			
5/6 <u>Alternate Interior Angle Theorem.</u>			
8 7 (If <u>two angles are Alternate Interior</u> <u>Angles</u> , then <u>they are congruent</u> .)			
Two parallel lines are cut by a transversal	Given in the figure		
(1) $\angle 3$ and $\angle 5$ are Alt. Int. Angles.	Hypothesis to be proven		
(2) $m \angle 3 = \_$	Vertical Angles Theorem		
(3) <i>m</i> ∠1 =	Corresponding Angles Postulate		
(4)=	Substitution (steps 2 and 3)		
5 <u>Alt. Int. Angles are congruent.</u>	QED		
	·		

