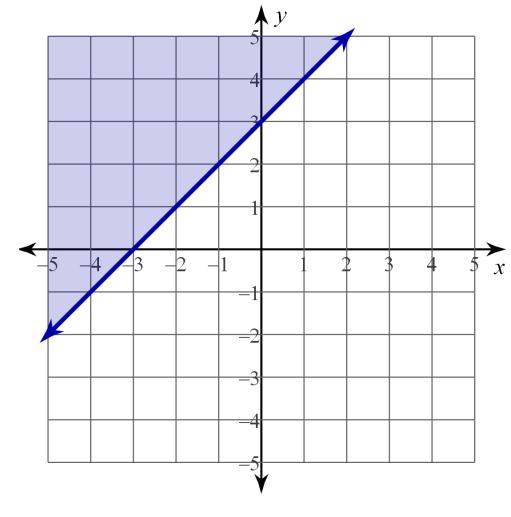
Math-2A Lesson 6-9

Systems of Inequalities

 $y \ge x + 3$

The line: y = x + 3Divides the x-y plane into two halves.

The solution to the inequality is <u>all of the points in one of</u> <u>the "half planes".</u>



$$y > x + 3$$

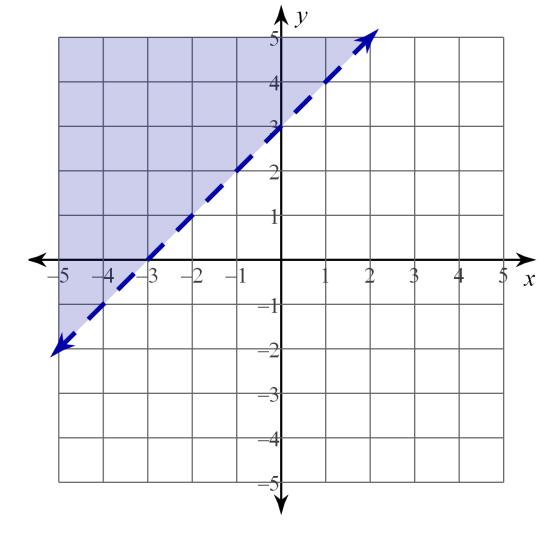
Now it is just ">" not "≥"

Test two points: (0, 3) (-1, 2)

Do the points on the line make the inequality true?



How do we show that on the graph?



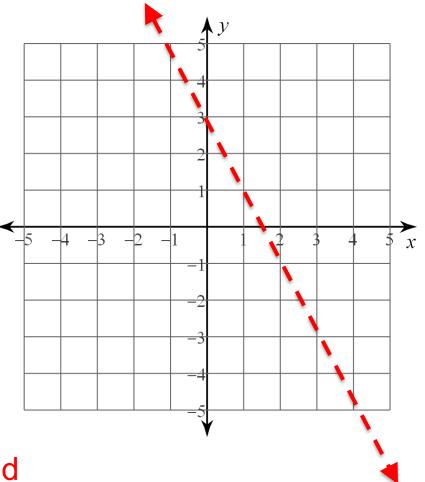
Let's write a procedure on how to graph 2-variable inequalities.

$$y > -2x + 3$$
. Graph the line.

$$y = -2x + 3$$

2. If the inequality is ">" or "<" (not " \geq " nor " \leq)", the line will be dotted (not shaded).

3. If it is "≥" the line will be solid (shaded).



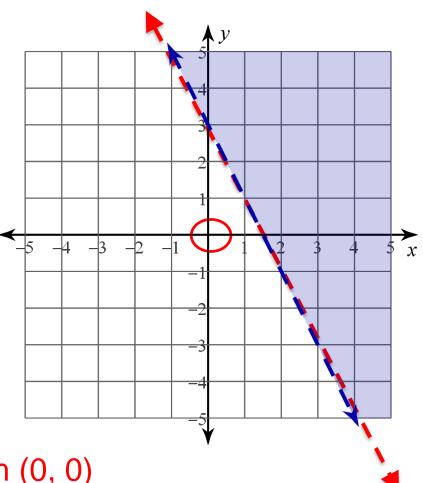
$$y > -2x + 3$$

4. Pick a point in one of the ¹/₂ planes. See if it is the solution. If so, shade that side of the line, (otherwise shade the other side).

(0, 0)

$$0 > -2(0) + 3$$
 no

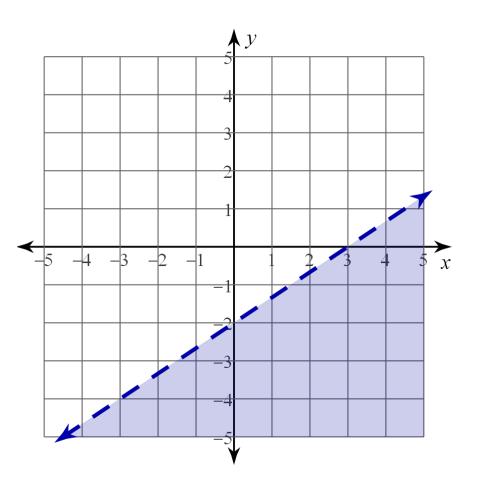
Shade other side of line from (0, 0)

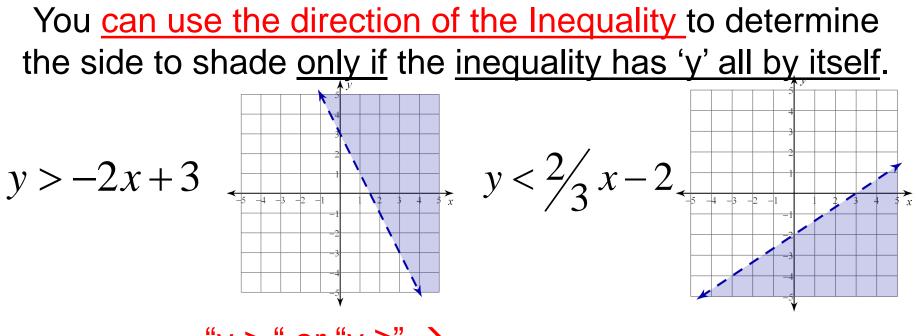


Graph the following inequality.

$$2x - 3y > 6$$

Why does ">" end up being shaded below the line?





"y > " or "y ≥" \rightarrow shade above

"y < " or "y ≤" \rightarrow shade below

System of Inequalities: More than one 2-variable inequality

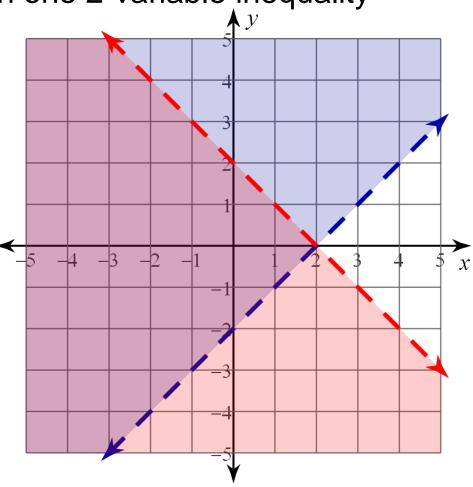
graphed on the same x-y plot.

y > x - 2 y < -x + 2

Two lines that cross divide the plane into <u>4 regions</u>. Which region contains the points that are the solution to the system of inequalities?

y > x − 2 AND y < -x + 2

Solution: the points in the "overlap" region.



Non-linear 2 Variable inequality

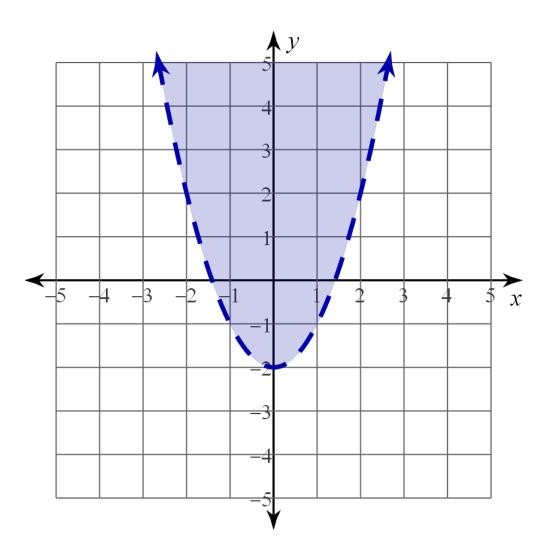
$$y > x^2 - 2$$

Is the parabola solid or dotted?

Is the solution the region above or below the parabola?

> "y > " or "y ≥" → shade above

"y < " or "y \leq " \rightarrow shade below



Non-linear 2 Variable inequality

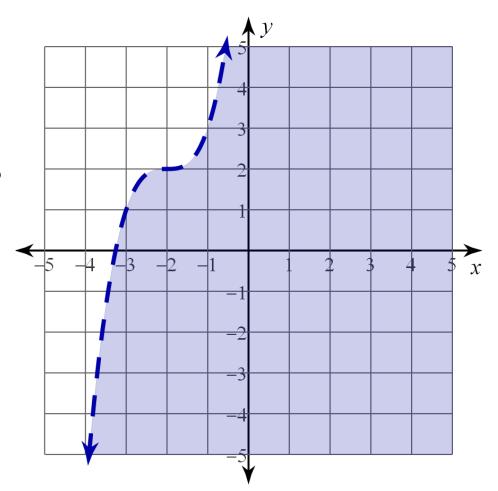
$$y < (x+2)^3 + 2$$

Is the curve solid or dotted?

Is the solution the region above or below the curve?

"y > " or "y ≥" \rightarrow shade above

"y <" or " $y \leq$ " \rightarrow shade below



Systems of Non-linear 2 Variable inequalities

